🔆 CARDINAL Performance-based fees have existed for many years in both the alternative and long-only investment spaces.

Performance driven compensation, primarily in the form of carry, is de rigueur in the private markets space. While alternative investors may have some influence on fee *levels*, they rarely have any influence on the broader performance-based fee structure. Yet in public market asset classes performance-based fees are commonly offered as a choice versus traditional asset-based fees.

Comparing Fee Structure Advantages

The relative merits of performance-based versus traditional asset-based fees are well discussed in industry literature. In short, performance-based fees can offer a better alignment of interests between investor and manager, focus on paying for alpha generation rather than beta, and improve investor economics when manager performance lags the appropriate benchmark. Asset-based fees, however, reduce the incentive for managers to take undue portfolio risks by removing what is essentially a free "call option" on excess return. Even under so-called "fulcrum" fee structures designed to create symmetry between up and downside risk for the investor, the lure of higher fees (and perhaps misplaced confidence in the ability to achieve them) may cause managers to depart from a mandate's objective or intended risk profile in an effort to increase fees or recoup those unrealized from previous underperformance.

This brief paper does not intend to relitigate the comparative merits of these fee structures. Rather, we aim to demonstrate a technique with which an investor can directly compare performance-based versus traditional asset-based proposals – a typically opaque task given the number of variables and uncertainty around outcomes. How do we assist clients in choosing a fee structure when mandate size, asset class beta, a priori excess return, tracking error, graduated basis point fee levels, minimum/maximum fee amounts, and clawback/high watermark provisions (among others) must be considered simultaneously?

Using Simulation to Compare Fee Proposal Outcomes

Cardinal has developed a Monte Carlo driven simulation model that allows us to stochastically test various fee structures against each other. This framework allows us to not only consider an array of static variables but also the uncertainty around a manager's performance and asset class growth.

We start with building a representation of the fee structures themselves or the "rules". In a fixed, or deterministic scenario, the total dollar fees paid can be easily compared across fee structures at this point given static assumptions around market return, manager excess return, mandate size, etc.

What about under the uncertainty of real-world conditions and the paths that are created by them period over period? Running thousands of trials through a Monte Carlo simulation-based model that captures a distribution of results for these key variables much better informs the decision between performance-based and traditional asset-based fees.

Simulation Results

The exhibit below depicts the required inputs of the Monte Carlo-based stochastic model comparing a performance-based fee structure versus that of an asset-based fee. The conditional logic of loss carryforwards etc. must be carefully built out to reflect the correct waterfall of dollars trial by trial.

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	Return	Average	Std Dev																				
	Assumptions	bps	bps																				
	Beta	830	1700	-																			
	Excess	250	500																				
		Flat Base		Add'l																			
		Fee bps Perf Fee % Exp bps																					
	Option A	45.0	0	0.0																			
	Option B	15.0	10	0.0																			
	Option C	10.0	15	0.0																			
			_																				
Base Case	830	250.00																					
					1						1	1										1	1 1
Model Inp	uts						Op	tion A									Uption B						
	Date Dature	Evene	C		Designing	C		Deee	Ontion	Ontion A	Fadian	Desinains	C	European .	Deee	Excess	Loss	Net of	Deef	Ontion	Option D	Fadina	
Veer	Dela Relum	EXCess Deturn (h n e)	GIUSS		Beginning	Deture (C)	EXCESS	Dase	Option	Cum Faa	Ending	Deginning	GIUSS Deturn (ft)	EXCESS	Dase	Deep he	Carry-	Carry-	Peri	Dian	Орноп в	ending	D:#
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2	030	250.00	10.00%		\$ 1,000	\$ 100 110	φ 20 20	а с с с	3 D	\$ D	\$ 1,104 1 219	\$ 1,000	\$ 100 110	a 20 20	⇒ ∠ 2	235.00	0.00	235.00	⇒ ∠ ⊃	⇒ 4 ⊿	ə 4 o	\$ 1,104 1 210	\$ (I) (1)
2	830	250.00	10.80%		1,104	132	20	9 J 6 5	5	15	1 3//	1,104	132	20	2	235.00	0.00	235.00	3		13	1 3/6	(1)
4	830	250.00	10.80%		1 344	145	34	\$ 6	6	21	1 483	1,215	145	34	2	235.00	0.00	235.00	3	5	18	1 486	(1)
5	830	250.00	10.80%		1,483	160	37	\$7	7	28	1,636	1,486	161	37	2	235.00	0.00	235.00	3	6	24	1,641	(1)
6	830	250.00	10.80%		1.636	177	41	\$7	7	35	1.806	1.641	177	41	2	235.00	0.00	235.00	4	6	30	1.812	(1)
7	830	250.00	10.80%		1.806	195	45	\$8	8	43	1,993	1.812	196	45	3	235.00	0.00	235.00	4	7	37	2.001	(1)
8	830	250.00	10.80%		1,993	215	50	\$ 9	9	52	2,199	2,001	216	50	3	235.00	0.00	235.00	5	8	45	2,209	(1)
9	830	250.00	10.80%		2,199	237	55	\$ 10	10	62	2,426	2,209	239	55	3	235.00	0.00	235.00	5	9	53	2,439	(1)
10	830	250.00	10.80%		2,426	262	61	\$ 11	11	73	2,677	2,439	263	61	4	235.00	0.00	235.00	6	9	63	2,693	(2)
11	830	250.00	10.80%		2,677	289	67	\$ 12	12	85	2,955	2,693	291	67	4	235.00	0.00	235.00	6	10	73	2,974	(2)
12	830	250.00	10.80%		2,955	319	74	\$ 13	13	98	3,260	2,974	321	74	4	235.00	0.00	235.00	7	11	84	3,283	(2)
13	830	250.00	10.80%		3,260	352	82	\$ 15	15	113	3,598	3,283	355	82	5	235.00	0.00	235.00	8	13	97	3,625	(2)
14	830	250.00	10.80%		3,598	389	90	\$ 16	16	129	3,970	3,625	392	91	5	235.00	0.00	235.00	9	14	111	4,003	(2)
15	830	250.00	10.80%		3,970	429	99	\$ 18	18	147	4,381	4,003	432	100	6	235.00	0.00	235.00	9	15	126	4,420	(2)
16	830	250.00	10.80%		4,381	473	110	\$ 20	20	167	4,835	4,420	477	110	7	235.00	0.00	235.00	10	17	143	4,880	(3)
17	830	250.00	10.80%		4,835	522	121	\$ 22	22	188	5,335	4,880	527	122	7	235.00	0.00	235.00	11	19	162	5,389	(3)
18	830	250.00	10.80%		5,335	576	133	\$ 24	24	212	5,887	5,389	582	135	8	235.00	0.00	235.00	13	21	183	5,950	(3)
19	830	250.00	10.80%		5,887	636	147	\$ 26	26	239	6,496	5,950	643	149	9	235.00	0.00	235.00	14	23	206	6,570	(4)
20	830	250.00	10.80%		6,496	702	162	\$ 29	29	268	7,169	6,570	/10	164	10	235.00	0.00	235.00	15	25	231	1,254	(4)

The model output captures the distribution of results of each fee structure, stated as total fee dollars paid over time as a cumulative probability density function mapped into a three-dimensional chart. The exhibits below show the distribution of results for each independent fee structure under consideration.

Exhibit 2

Chart ALINA (Cha) C





Performance-based Fees per \$1000 Initial Investment \$700 \$600 \$500 \$400 \$300 \$200 80% \$100 60% Probability 40% \$0 Year 1 20% Year 10 0% Year 20

We can compare this output between option A – asset-based fee, and option B – performance-based fee, to determine the *difference* in total fee dollars paid over a period between the two proposals, as seen in the exhibit below. The investor can then determine which they favor based on their desired probability threshold. Often, one fee structure will "crossover" the other in an out year of the modeled projection period. This crossover is seen below as the probability of the performance-based option costing less than the asset-based option grows in the furthest outyears. In most outcomes, the performance-based fee option is more likely to be significantly more expensive.

Exhibit 4



An example of a real-world scenario's modeled output could be represented in plain language as...

There is an x% chance that option A saves on cumulative fees through year 10 but a y% upside chance that option B saves enough on cumulative fees through year 15 to make them prefer that option.

There is no "correct" answer, merely a portrayal of the economic trade-offs.

If you would like to learn more, contact Cardinal Investment Advisors.